## 1. Shapes

Geometric shapes and figures, such as points, lines, and areas, additionally help us to make the right strategic/tactical decisions on the regatta course.
"Looking at the geometry of a course makes sense, because various changes in external conditions can be clearly visualized and understood."
© Tilo Schnekenburger: "The geometry of regatta sailing", chapters 3, 4 and 5.5 The playing field.

In the Tactical Sailing program, various geometric shapes are shown under the following conditions:

- the boundary of the racing field by two buoys,
- The influence of wind direction and wind shifts,
- the definition of a specific tacking/jibing angle of a boat.
(We use a $\mathrm{J} / 70$ with a $90^{\circ}$ turning/neck angle to create comparable conditions for visualizing the geometric figures using a concrete example).


In the Tactical Sailing program, 6 basic geometric shapes can be displayed on the regatta field: Circle, rhombus, rectangle, square, triangle, sine line.

## Circle:

The simplest geometric shape on a regatta course is the circle.
When laying out a regatta course, the windward and leeward buoys form the so-called course axis. The course axis also represents the diameter of the circle. The wind direction is orientated at $360^{\circ}$. A boat can reach any point on the circle, and it makes it possible to observe the entire regatta field: in the start area and in the finish area, on the left or right side of the course.

## Rhombus:

When sailing against the wind with a wind direction of $360^{\circ}$, a new inner shape is formed within the circle: the rhombus. After the start, the sailor steers his course according to the direction of travel $+/-45^{\circ}$ at an optimum speed to windward. He steers the course - the "height to windward" - to the "layline" and then makes a "leeward tack" onto the course to the windward buoy.

## Rectangle:

When the wind direction changes from $360^{\circ}$ to $340^{\circ}$, the sailor must also change his course a course that takes the boat closer to the windward mark. The diamond now becomes a new geometric figure: a rectangle. In this example, the sailor can steer the boat in a wind direction of $340^{\circ}$ at an optimum speed to windward - the so-called "reaching bow (Streckbug )".

## Square:

At the so-called "switch point" - the point at which the line of the "wind axis $\left(340^{\circ}\right)$ " and the line of the "course axis $\left(25^{\circ}\right)$ " of the boat intersect - a new distinctive shape is formed: the square. The "switch point" is an opportunity for the sailor to decide to change direction: he changes ("switches") his course from $25^{\circ}$ by tacking to a course of $325^{\circ}$ in the direction of travel towards the center of the field.

## Triangle:

On the windward leg towards the "layline", a new figure is created from the previously sailed geometric figure of the diamond: a triangle that defines the boundary line to the "risk zone". Up to this boundary line, the sailor steers in the so-called "safe diamond"; it protects against getting "offside" when the wind shifts. The shape of a triangle is limited by the legs to the tacking point at the layline and from there to the windward buoy.

## Sinusoidal line:

The assumption of a rhythmic change in wind direction in sinusoidal form can only be seen theoretically. A "straight" geometric boundary line then becomes a "curved" geometric boundary line, as with the rhombus. With oscillating wind direction changes, the sailor can adapt the course and direction of travel to the course of a "sine curve" and thus optimize his speed. Example:
Windrichtungen: $\quad \mathbf{3 1 5}^{\circ} \ldots 360^{\circ} \ldots 45^{\circ} \ldots 360^{\circ} \ldots 315^{\circ}$
Fahrtrichtungen: $\mathbf{3 6 0}^{\circ} \ldots 45^{\circ} \ldots \mathbf{9 0}^{\circ} \ldots 45^{\circ} \ldots \mathbf{3 6 0}^{\circ}$
Starting from the wind direction $315^{\circ}$, the boat initially follows the direction of travel $360^{\circ}$ and then falls further and further to the right in the direction of $45^{\circ}$ and $90^{\circ}$. Then the wind direction begins to turn back to the left - and with it the direction of travel - at the same rhythm to $45^{\circ}$ and $360^{\circ}$.

